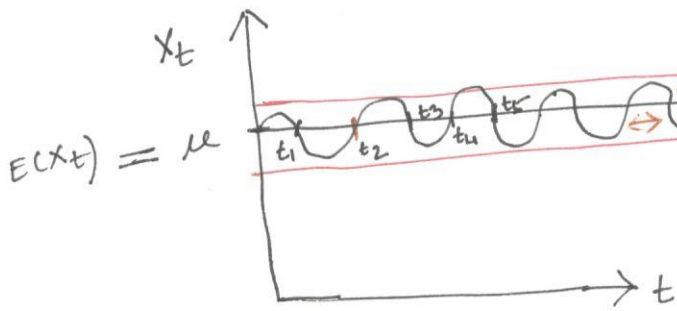


# Example of moment stationarity via pictorial diagrams

$\{X_t\} \rightarrow$  stochastic process  
 $t \in T \rightarrow$  time point



Mean line does not change its direction, it is actually constant.

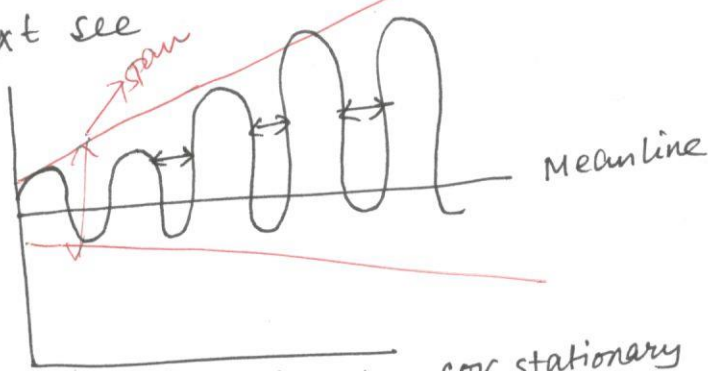
$\{X_t\}$  Mean stationary

Next look at span of the graph (red line)  $\rightarrow$  this span gives the idea of variance. span remains same. so  $\{X_t\}$  variance stationary.

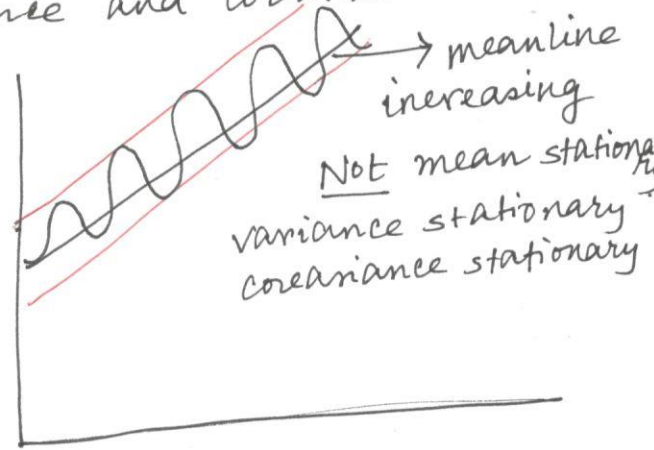
Next look at distance between <sup>any</sup> two humps. The distance remains same for any two humps. It gives the association between ~~two~~ <sup>any</sup> ~~variables~~  $X_t$  at two different time points. If the distance same the process is covariance stationary.

The above graph is mean, variance and covariance stationary.

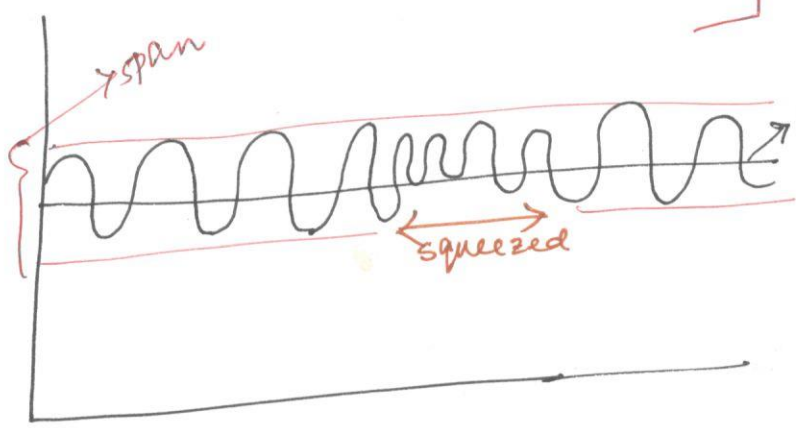
Next see



Mean stationary; cov. stationary but not variance stationary. [look at the span (red line)]



Not mean stationary  
 variance stationary  
 covariance stationary



meanline constant.  $\rightarrow$  Mean stationary  
 span is constant  $\rightarrow$  variance stationary  
 Distance between two humps varying  $\rightarrow$  covariance nonstationary